INITIAL RATES METHOD

- To determine the rate constant and reaction orders in a reaction, it's possible to monitor the rate of a reaction starting from time zero to a short time later where the concentrations of the reactants haven't changed much. In other words, we look at the INITIAL RATE.

- To determine the rate constant and orders, we need to perform several experiments - one for each order to determine and one baseline experiment to determine the rate constant.

Example:

$$A + B \rightarrow C + D$$

$$R_{a}te = R [A]^{2} [B]^{2}$$

... we want to find the rate constant 'k', and the orders 'q' and 'r'.

| Trial | [A] | [B] | Rate <u>A[A]</u> | |
|-------|-------|-------|------------------|---------------------------|
| 1 | 0,156 | 0-150 | | Baseline experiment |
| 2 | 0,300 | 0,150 | | Double (A) to find 'q' |
| 3 | 0_150 | 0.300 | | Double (B) to find 'r' |

| Trial | [A] | [B] | Rate $\frac{\Delta [A]}{sec}$ | |
|-------|-------|-------|-------------------------------|---------------------------|
| 1 | 0,156 | 0-150 | 0.0016875 | Baseline experiment |
| 2 | 0,300 | 0,150 | 0.0033750 | Double (A) to find 'q' |
| 3 | 0-150 | 0.300 | 0.0067500 | Double (B) to find 'r' |

 $R_{a}te = R[A]^{Q}[B]^{c}$... so how do we use the data above to find out the values of 'k', 'q', and 'r'?

We observe that in the second trial ((A) doubled), the rate has doubled!

$$(2x[A])^{q} = 2x Rate; so q = 1$$

We observe that in the third trial ((B) doubled), the rate has quadrupled.

$$(2x[B])^r = 4xRate; so r=2$$

Now, we'd like to know the value of 'k'. Solve rate law for 'k'.

Rate=k[A][B]²

 $k = \frac{R_{a}t_{e}}{EAJEBJ^{2}}$ Plug in each set of data to this equation and calculate 'k'!

| Trial | [A] | [B] | Rate $\frac{\Delta [A]}{sec}$ | Calculated 'k' |
|-------|-------|-------|-------------------------------|----------------|
| 1 | 0,156 | 0-150 | 0.0016875 | 0,5 <i>00</i> |
| 2 | 0.300 | 0,150 | 0.0033750 | 0,500 |
| 3 | 0-150 | 0,300 | 0.0067500 | 0,500 |

The average of these calculated 'k' values equals the rate constant. (For real data, expect some experimental error in these numbers!)

$$S_2O_8^2 + 2I^- \longrightarrow 2SO_4^2 + I_2$$
 Reaction under study in Experiment 13

How do we monitor this? IODINE (I_2) will form a complex with starch, forming an intense BLUE COLOR.

It would be nice to DELAY the formation of blue color (somehow) until a certain amount of iodine had been formed!

We can delay the formation of blue color by using a FAST side reaction to consume iodine as fast as it gets formed. Thiosulfate ion reacts with iodine quickly.

$$I_2 + 2S_2O_3^2 \longrightarrow 2I^2 + S_4O_8^2$$

When all of the thiosulfate ion is consumed, the reaction vessel will contain iodine and turn blue. At that point,

$$\Delta \left[S_2 O_8^{2-} \right] = \frac{1}{2} \left[S_2 O_3^{2-} \right]_{\text{initia}}^{2-}$$

$$Rate = \frac{\Delta \left[S_2 O_8^{2-} \right]}{+ime}$$

$$Rate = R \left[S_2 O_8^{2-} \right]^2 \left[1^{-} \right]^r$$