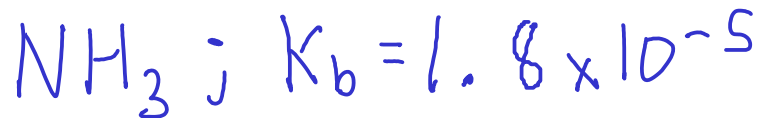


Consider an 0.100 M solution of the weak base ammonia:



See Appendix I in OpenStax for K_b values

What is the pH?



Set up an equilibrium chart:

Species	[Initial]	Δ	[Equilibrium]
NH_4^+	0	+x	x
OH^-	0	+x	x
NH_3	0.100	-x	0.100 - x

Let "x" equal the change in ammonium ion concentration

$$K_b = \frac{[\text{NH}_4^+][\text{OH}^-]}{[\text{NH}_3]} = \frac{(x)(x)}{(0.100 - x)} = 1.8 \times 10^{-5}$$

$$\boxed{\frac{x^2}{0.100 - x} = 1.8 \times 10^{-5}}$$

$$\frac{x^2}{0.100 - x} = 1.8 \times 10^{-5}$$

↓ Assume $x \ll 0.100$,
so $0.100 - x \approx 0.100$

$$\frac{x^2}{0.100} = 1.8 \times 10^{-5}$$

$$x = 0.0013416408 = [\text{OH}^-]$$

$$\text{So, } \text{pOH} = -\log(0.0013416408) = 2.87$$

$$\text{pH} + 2.87 = 14.00$$

$$\text{pH} = \boxed{11.13}$$

$$\text{pOH} = -\log[\text{OH}^-]$$

$$\text{pH} + \text{pOH} = 14.00$$

If we solve this problem using the quadratic equation instead of our simplifying assumption, we get a pH of 11.13 ... same as we got here.

Compare pH to the pH of an 0.100 M solution of the strong base NaOH:

$$\text{pH}_{\text{NH}_3} \approx 11.13$$



$$[\text{OH}^-] = [\text{NaOH}]_{\text{nominal}} = 0.100 \text{ M}$$

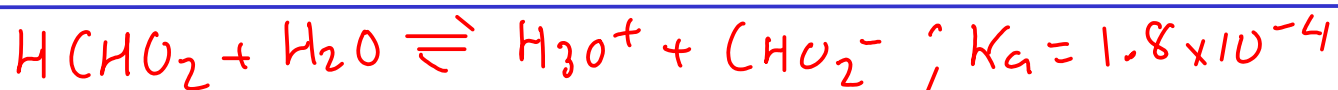
$$\text{pOH} = 1.00$$

$$\text{pH} = 13.00$$

The stronger the base:

- the higher the pH will be for a solution of given concentration
- the higher the HYDROXIDE concentration (compared to the nominal base concentration)

Find the pH and the degree of ionization for an 0.10 M solution of formic acid: HCHO_2



$$K_a = \frac{[\text{H}_3\text{O}^+][\text{CHO}_2^-]}{[\text{HCHO}_2]} = 1.8 \times 10^{-4}$$

Species	[Initial]	Δ	[Equilibrium]
H_3O^+	0	+x	x
CHO_2^-	0	+x	x
HCHO_2	0.10	-x	0.10 - x

Let "x" equal the change in hydronium ion concentration

$$\frac{(x)(x)}{(0.10 - x)} = 1.8 \times 10^{-4}$$

↓ Assume $x \ll 0.10$

$$\frac{x^2}{0.10} = 1.8 \times 10^{-4}$$

$$x = 0.0042426407 = [\text{H}_3\text{O}^+]$$

So, $\text{pH} = 2.37$

... but what about degree of ionization?



Degree of Ionization (DOI) is the fraction of a weak acid or base that ionizes in solution.

Here, that would be:

$$\frac{[\text{CHO}_2^-]}{[\text{HCHO}_2]_{\text{nominal}}} = \frac{[\text{H}_3\text{O}^+]}{[\text{HCHO}_2]_{\text{nominal}}}$$

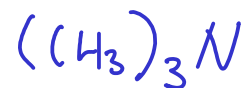
$$\frac{0.0042426407 \text{ M H}_3\text{O}^+}{0.10 \text{ M HCHO}_2} = \boxed{0.042 = \text{DOI for this } 0.10 \text{ M HCHO}_2}$$

Often, we express this as a percentage ... called PERCENT IONIZATION

$$\% \text{ ionization} = \text{DOI} \times 100 = 4.2\% \text{ ionization}$$

When you do Experiment 16A. By Le Chateleur's Principle, adding water to the equilibrium should force it to the right - meaning that more acid will ionize - even as the pH goes up!. Therefore, the degree of (or percent) ionization should INCREASES as the concentration of the acid DECREASES. Check this with your experiment 16A data on acetic acid.

An aqueous solution of 0.25 M trimethylamine has a pH of 11.63. What's the experimental value of K_b ?



$$K_b = \frac{[(\text{CH}_3)_3\text{NH}^+][\text{OH}^-]}{[(\text{CH}_3)_3\text{N}]}$$

We don't know K_b , so how do we proceed? Let's make an equilibrium chart to try to reduce the number of variables!

Species	[Initial]	Δ	[Equilibrium]
$(\text{CH}_3)_3\text{NH}^+$	0	+x	x
OH^-	0	+x	x
$(\text{CH}_3)_3\text{N}$	0.25	-x	0.25 - x

Let "x" equal the change in trimethylammonium ion concentration.

Plug into the K_b expression

$$\frac{(x)(x)}{(0.25 - x)} = K_b$$

$$\frac{x^2}{0.25 - x} = K_b$$

Now what? We have fewer variables now, but there are still two...

$$\frac{x^2}{0.25 - x} = K_b$$

If we had some other way to find the value of "x", we could then get K_b .
Use the pH to find the pOH, and then (OH^-) ... which equals "x".

$$11.63 + pOH = 14.00 \quad pH + pOH = 14.00$$

$$pOH = 2.37$$

$$[OH^-] = 0.0042657952$$

$$[OH^-] = 10^{-pOH}$$

$$\text{So, } x = 0.0042657952$$

$$K_b = \frac{x^2}{0.25 - x} = \frac{(0.0042657952)^2}{0.25 - 0.0042657952} = \boxed{7.4 \times 10^{-5} = K_b}$$