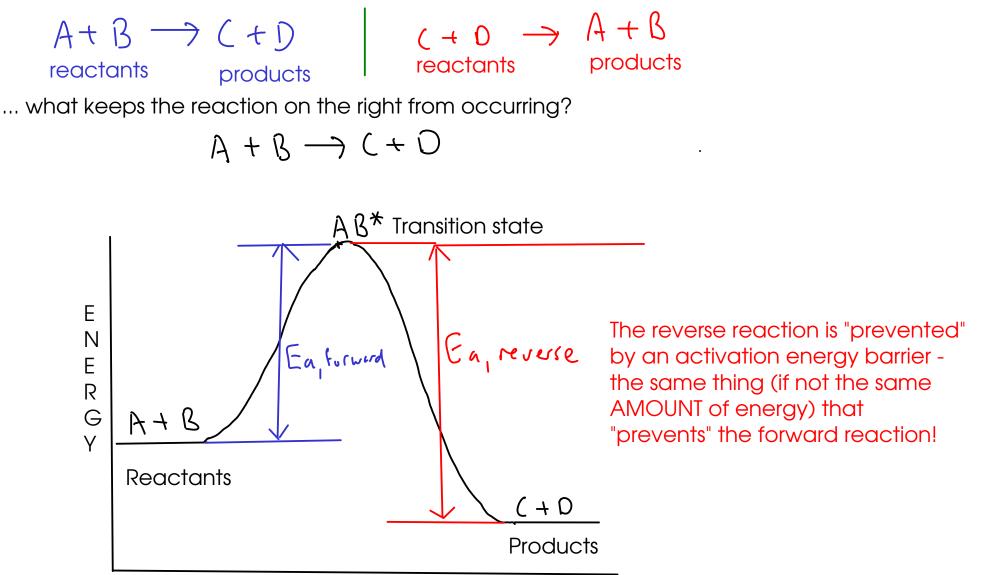
WHAT KEEPS A REACTION FROM GOING BACKWARDS?



REACTION COORDINATE

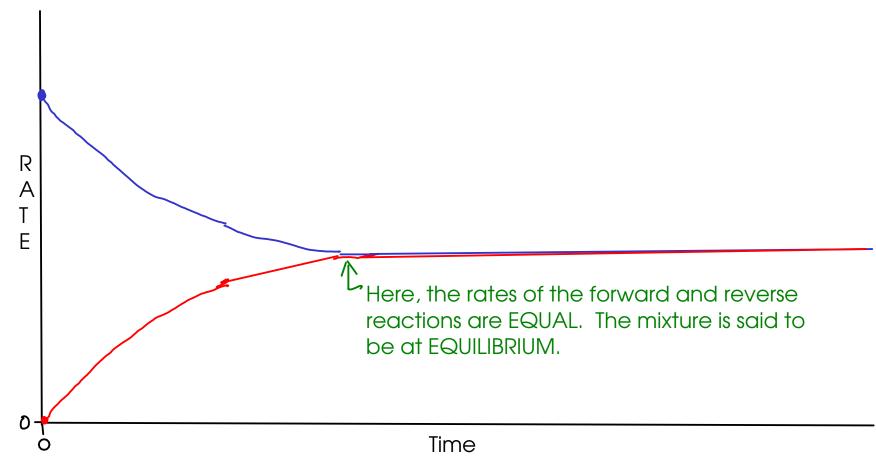
So what really happens during a reaction? Both forward and reverse reactions occur!

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- Let's look at the RATES of both the forward and reverse reactions over time.



- Initially, the mixture is all A and B. As C and D are formed, the rate of the reverse reaction increases while the rate of the forward reaction decreases. Eventually, these rates become equal.

- At EQUILIBRIUM, the concentrations of A, B, C, and D stop CHANGING. The reaction doesn't stop, but it appears stopped to an outside observer.

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$$\frac{A + bB}{C} \rightleftharpoons \frac{C}{C} \begin{pmatrix} + bB \\ - bB \end{pmatrix} \stackrel{()}{=} \frac{C}{C} \begin{pmatrix} + bB \\ - bB \end{pmatrix} \stackrel{()}{=} \frac{C}{C} \begin{pmatrix} - bB \\ - bB \end{pmatrix} \stackrel{()}{=} \frac{C}{C} \begin{pmatrix} - bB \\ - bB \end{pmatrix} \stackrel{()}{=} \frac{C}{C} \begin{pmatrix} - bB \\ - bB \end{pmatrix} \stackrel{()}{=} \frac{C}{C} \begin{pmatrix} - bB \\ - bB \end{pmatrix} \stackrel{()}{=} \frac{C}{C} \begin{pmatrix} - bB \\ - bB \end{pmatrix} \stackrel{()}{=} \frac{C}{C} \begin{pmatrix} - bB \\ - bB \end{pmatrix} \stackrel{()}{=} \frac{C}{C} \begin{pmatrix} - bB \\ - bB \end{pmatrix} \stackrel{()}{=} \frac{C}{C} \begin{pmatrix} - bB \\ - bB \end{pmatrix} \stackrel{()}{=} \frac{C}{C} \begin{pmatrix} - bB \\ - bB \end{pmatrix} \stackrel{()}{=} \frac{C}{C} \begin{pmatrix} - bB \\ - bB \end{pmatrix} \stackrel{()}{=} \frac{C}{C} \begin{pmatrix} - bB \\ - bB \end{pmatrix} \stackrel{()}{=} \frac{C}{C} \begin{pmatrix} - bB \\ - bB \end{pmatrix} \stackrel{()}{=} \frac{C}{C} \begin{pmatrix} - bB \\ - bB \end{pmatrix} \stackrel{()}{=} \frac{C}{C} \begin{pmatrix} - bB \\ - bB \end{pmatrix} \stackrel{()}{=} \frac{C}{C} \begin{pmatrix} - bB \\ - bB \end{pmatrix} \stackrel{()}{=} \frac{C}{C} \begin{pmatrix} - bB \\ - bB \end{pmatrix} \stackrel{()}{=} \frac{C}{C} \begin{pmatrix} - bB \\ - bB \end{pmatrix} \stackrel{()}{=} \frac{C}{C} \begin{pmatrix} - bB \\ - bB \end{pmatrix} \stackrel{()}{=} \frac{C}{C} \begin{pmatrix} - bB \\ - bB \end{pmatrix} \stackrel{()}{=} \frac{C}{C} \begin{pmatrix} - bB \\ - bB \end{pmatrix} \stackrel{()}{=} \frac{C}{C} \begin{pmatrix} - bB \\ - bB \end{pmatrix} \stackrel{()}{=} \frac{C}{C} \begin{pmatrix} - bB \\ - bB \end{pmatrix} \stackrel{()}{=} \frac{C}{C} \begin{pmatrix} - bB \\ - bB \end{pmatrix} \stackrel{()}{=} \frac{C}{C} \begin{pmatrix} - bB \\ - bB \end{pmatrix} \stackrel{()}{=} \frac{C}{C} \begin{pmatrix} - bB \\ - bB \end{pmatrix} \stackrel{()}{=} \frac{C}{C} \begin{pmatrix} - bB \\ - bB \end{pmatrix} \stackrel{()}{=} \frac{C}{C} \begin{pmatrix} - bB \\ - bB \end{pmatrix} \stackrel{()}{=} \frac{C}{C} \begin{pmatrix} - bB \\ - bB \end{pmatrix} \stackrel{()}{=} \frac{C}{C} \begin{pmatrix} - bB \\ - bB \end{pmatrix} \stackrel{()}{=} \frac{C}{C} \begin{pmatrix} - bB \\ - bB \end{pmatrix} \stackrel{()}{=} \frac{C}{C} \begin{pmatrix} - bB \\ - bB \end{pmatrix} \stackrel{()}{=} \frac{C}{C} \begin{pmatrix} - bB \\ - bB \end{pmatrix} \stackrel{()}{=} \frac{C}{C} \begin{pmatrix} - bB \\ - bB \end{pmatrix} \stackrel{()}{=} \frac{C}{C} \begin{pmatrix} - bB \\ - bB \end{pmatrix} \stackrel{()}{=} \frac{C}{C} \begin{pmatrix} - bB \\ - bB \end{pmatrix} \stackrel{()}{=} \frac{C}{C} \begin{pmatrix} - bB \\ - bB \end{pmatrix} \stackrel{()}{=} \frac{C}{C} \begin{pmatrix} - bB \\ - bB \end{pmatrix} \stackrel{()}{=} \frac{C}{C} \begin{pmatrix} - bB \\ - bB \end{pmatrix} \stackrel{()}{=} \frac{C}{C} \begin{pmatrix} - bB \\ - bB \end{pmatrix} \stackrel{()}{=} \frac{C}{C} \begin{pmatrix} - bB \\ - bB \end{pmatrix} \stackrel{()}{=} \frac{C}{C} \begin{pmatrix} - bB \\ - bB \end{pmatrix} \stackrel{()}{=} \frac{C}{C} \begin{pmatrix} - bB \\ - bB \end{pmatrix} \stackrel{()}{=} \frac{C}{C} \begin{pmatrix} - bB \\ - bB \end{pmatrix} \stackrel{()}{=} \frac{C}{C} \begin{pmatrix} - bB \\ - bB \end{pmatrix} \stackrel{()}{=} \frac{C}{C} \begin{pmatrix} - bB \\ - bB \end{pmatrix} \stackrel{()}{=} \frac{C}{C} \begin{pmatrix} - bB \\ - bB \end{pmatrix} \stackrel{()}{=} \frac{C}{C} \begin{pmatrix} - bB \\ - bB \end{pmatrix} \stackrel{()}{=} \frac{C}{C} \begin{pmatrix} - bB \\ - bB \end{pmatrix} \stackrel{()}{=} \frac{C}{C} \begin{pmatrix} - bB \\ - bB \end{pmatrix} \stackrel{()}{=} \frac{C}{C} \begin{pmatrix} - bB \\ - bB \end{pmatrix} \stackrel{()}{=} \frac{C}{C} \begin{pmatrix} - bB \\ - bB \end{pmatrix} \stackrel{()}{=} \frac{C}{C} \begin{pmatrix} - bB \\ - bB \end{pmatrix} \stackrel{()}{=} \frac{C}{C} \begin{pmatrix} - bB \\ - bB \end{pmatrix} \stackrel{()}{=} \frac{C}{C} \begin{pmatrix} - bB \\ - bB \end{pmatrix} \stackrel{()}{=} \frac{C}{C} \begin{pmatrix} - bB \\ - bB \end{pmatrix} \stackrel{()}{=} \frac{C}{C} \begin{pmatrix} - bB \\ - bB \end{pmatrix} \stackrel{()}{=} \frac{C}{C} \begin{pmatrix} - bB \\ - bB \end{pmatrix} \stackrel{()}{=} \frac{C}{C} \begin{pmatrix} - bB \\ - bB \end{pmatrix} \stackrel{()}{=} \frac{C}{C} \begin{pmatrix} - bB \\ - bB \end{pmatrix} \stackrel{()}{=} \frac{C}{C} \begin{pmatrix} - bB \\$$

- At equilibrium, the ratio above equals a constant number - the EQUILIBRIUM CONSTANT. The equilibrium constant depends on TEMPERATURE, but not on other factors.

- Not all reactants and products are included in the equilibrium constant expression!

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$$PbI_2(s) \longrightarrow Pb^{2+}(aq) + 2I^{-}(aq)$$

$$K_{c} = [Pb^{2+}][J^{-}]^{2}$$

 (PbI_{2}) s

Since the concentration of SOLID lead(II) iodide is fixed by the crystal structure of the solid and does not change over the course of the reaction, we "fold it" into the equilibrium constant.

$$K_{c} = [Pb^{2+}][I^{-}]^{2} = 6.5 \times 10^{-9}$$

- Species whose CONCENTRATIONS do not change do not appear in the equilibrium constant expression. PURE SOLIDS and PURE LIQUIDS. Also, bulk SOLVENTS (like water when dealing with a reaction that takes place in water).

$$H(_{2}H_{3}O_{2}(aq) + H_{2}O(l) \rightleftharpoons H_{3}O^{+}(aq) + (_{2}H_{3}O_{2}(aq))$$

$$K_{c} = \frac{[H_{3}O^{+}][(_{2}H_{3}O_{2}^{-}]]}{[H_{2}H_{3}O_{2}]} = 1.7 \times 10^{-5}$$
Since water is the solvent, there's enough of it so that the reaction doesn't really change the concentration of the water itself.
$$[H_{2}O] = \frac{19}{M_{2}O_{2}} + \frac{M_{2}O_{2}}{1000g} +$$

WHAT DOES AN EQUILIBRIUM CONSTANT TELL US?

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- O Whether the final reaction mixture consists of mainly products or mainly reactants. In other words, which side of the reaction is "favored". ("Pextent" of Cention)
- Whether a reaction will proceed to the left or to the right when the reaction is not yet at equilibrium.
- 3 With more math, we can actually determine the final composition of an equilibrium mixture from the initial amount of reactant present WITHOUT doing an experiment!

WHICH IS FAVORED? PRODUCT OR REACTANT?

$$aA + bB \rightleftharpoons c(+d[$$

$$K_{c} = \frac{EC][0]^{d}}{EA]^{a}[B]^{b}}$$

To get a small value like this one, the DENOMINATOR of the equilibrium expression must be a lot larger than the NUMERATOR.

(Since REACTANTS are the denominator of this fraction, this reaction favors REACTANTS at equilbrium!

- If Kc is small (<<1), then REACTANTS are favored at equilibrium

- If Kc is large (>>1), then PRODUCTS are favored at equilibrium.

HOW TO TELL IF A REACTION IS AT EQUILIBRIUM?

- Use REACTION QUOTIENT (Q)

 $aA + bB \rightleftharpoons (C + dB)$

$$Q = \frac{CCJ^{C}COJ^{d}Z}{CAJ^{G}CBJ^{b}}$$

——Reaction quotient = equilibrium expression using NON-EQUILIBRIUM concentrations.

- If Q = Kc, then reaction is at equilibrium.

- If Q < Kc, then reaction is NOT at equilibrium and proceeds to the right, forming more products.

- If Q > Kc, then reaction is NOT at equilibrium and proceeds to the left, forming more reactants.

 $2 \text{ NO Br}(g) \stackrel{\simeq}{=} 2 \text{ NO}(g) + \text{Br}_{2}(g) \text{ ; } \text{K}_{c} = 3.07 \times 10^{-44}$ $[\text{ NO Br}] = 0.0720 \text{ M}, [\text{NO}] = 0.0162 \text{ M}, [\text{Br}_{2}] = 0.0123 \text{ M}$ Is mix at equilibrium? If not, which direction will reaction proceed? $Q = \frac{[\text{NO}]^{2} [\text{Br}_{2}]}{[\text{NOB}r]^{2}} = \frac{(0.0162)^{2} (0.0123)}{(0.0720)^{2}} = 6.23 \times 10^{-44}$ $Q = \frac{(0.23 \times 10^{-44} > 3.07 \times 10^{-44})}{Q} = \frac{10000}{1000} \text{ K}_{c} \text{ ... so the reaction will proceed to the LEFT, making more NOBr and consuming NO and bromine.}$

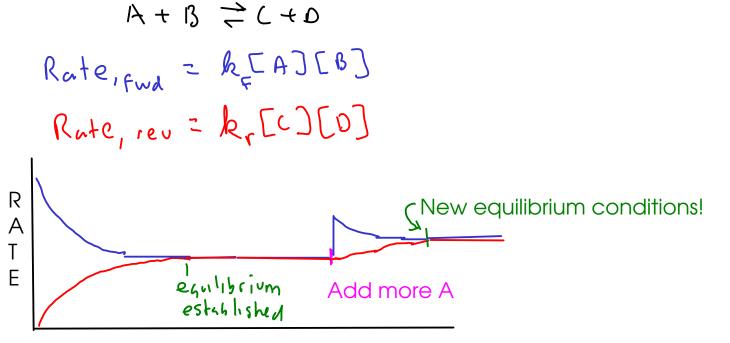
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¹⁰⁶ MODIFYING EQUILIBRIUM

- Remember, at equilibrium the reaction has not actually STOPPED. Both forward and reverse processes are still happening - just at the same rate so there's no overall concentration change.

- If you do something to the reaction mixture that changes the rates of the forward or the reverse reaction (or sometimes BOTH), the mixture will no longer be at equilibrium.

Simplest case is to add or remove a substance, changing its concentration.



Time

- After adding A, the rate of the forward reaction increased. As more C and D were produced by the (faster) forward reaction, the forward reaction and reverse reaction came back to equilibrium, but at a new set of conditions.

- The addition of A caused our equilibrium to SHIFT towards the RIGHT - consuming some of the extra A to form more products (C and D).

- LE CHATELEIR'S PRINCIPLE states that if an equilbrium is disturbed, it will SHIFT in such a way as to counteract the disturbance and restore equilibrium.

For concentrations:

 \varkappa Increasing the concentration of a REACTANT will cause the equilibrium to shift to the RIGHT, making more products.

*

Decreasing the concentration of a REACTANT will cause the equilibrium to shift to the LEFT, making more reactants.



- Increasing the concentration of a PRODUCT will cause the equilibrium to shift to the LEFT, making more reactants.
- \star Decreasing the concentration of a PRODUCT will cause the equilibrium to shift to the RIGHT, making more products.

This one can be used to DRIVE a reaction to produce product, even if the Kc value is NOT favorable.