<sup>158</sup> SINCE the enthalpy change does NOT depend on path, this means that we can use standard values for enthalpy to predict the heat change in reactions that we have not tested in a calorimeter.

## THERMOCHEMICAL EQUATIONS

- is like a regular chemical equation, except that phase labels are REQUIRED and the enthalpy for the reaction is given along with the equation.

$$CH_3(O(H_3(l) + 4O_2(g) \longrightarrow 3(O_2(g) + 3H_2O(l); AH = -1800 kJ$$

- Why are phase labels required? Because phase changes either absorb or release energy.

 $\Delta H = -1600 \text{ kJ} \dots \text{ what does this mean}?$ 

 $1 \mod (H_{S}COCH_{3} = -1800 \text{ kJ})$   $4 \mod 0_{2} = -1800 \text{ kJ}$   $3 \mod 0_{2} = -1800 \text{ kJ}$   $3 \mod 120 = -1800 \text{ kJ}$ 

We treat the enthalpy change as if it's another product of the reaction!

$$CH_{3}(O(H_{3}(l) + 4O_{2}(g) \longrightarrow 3(O_{2}(g) + 3H_{2}O(l); AH = -1800 kJ$$

What would be the enthapy change when 25 g of water are produced by the reaction?

1 - Convert 25 g water to moles. Use FORMULA WEIGHT.

2 - Convert moles water to enthalpy change. Use THERMOCHEMICAL EQUATION

$$\begin{array}{c} 1 & H_{20} & H_{12} & 2 \times 1.008 \\ 0 & \vdots & \frac{1 \times 16.00}{16.016 g H_{2} \partial^{-1} m v 1} H_{20} \end{array}$$

$$\begin{array}{c} 2 & 3 m \partial \left( H_{20} & z - 1800 h \right) \\ \hline 16.016 g H_{20} & z m v 1} H_{20} & \hline 16.016 g H_{20} & \gamma \frac{-1800 h }{3 m \partial \left( H_{20} \right)} = -833 k \\ \hline 3 m \partial \left( H_{20} \right) \\ \hline 16.016 g H_{20} & \gamma \frac{-1800 h }{3 m \partial \left( H_{20} \right)} = -833 k \\ \hline 16.016 g H_{20} & \gamma \frac{-1800 h }{3 m \partial \left( H_{20} \right)} \\ \hline 16.016 g H_{20} & \gamma \frac{-1800 h }{3 m \partial \left( H_{20} \right)} = -833 k \\ \hline 16.016 g H_{20} & \gamma \frac{-1800 h }{3 m \partial \left( H_{20} \right)} = -833 k \\ \hline 16.016 g H_{20} & \gamma \frac{-1800 h }{3 m \partial \left( H_{20} \right)} = -833 k \\ \hline 16.016 g H_{20} & \gamma \frac{-1800 h }{3 m \partial \left( H_{20} \right)} = -833 k \\ \hline 16.016 g H_{20} & \gamma \frac{-1800 h }{3 m \partial \left( H_{20} \right)} = -833 k \\ \hline 16.016 g H_{20} & \gamma \frac{-1800 h }{3 m \partial \left( H_{20} \right)} = -833 k \\ \hline 16.016 g H_{20} & \gamma \frac{-1800 h }{3 m \partial \left( H_{20} \right)} = -833 k \\ \hline 16.016 g H_{20} & \gamma \frac{-1800 h }{3 m \partial \left( H_{20} \right)} = -833 k \\ \hline 16.016 g H_{20} & \gamma \frac{-1800 h }{3 m \partial \left( H_{20} \right)} = -833 k \\ \hline 16.016 g H_{20} & \gamma \frac{-1800 h }{3 m \partial \left( H_{20} \right)} = -833 k \\ \hline 16.016 g H_{20} & \gamma \frac{-1800 h }{3 m \partial \left( H_{20} \right)} = -833 k \\ \hline 16.016 g H_{20} & \gamma \frac{-1800 h }{3 m \partial \left( H_{20} \right)} = -833 k \\ \hline 16.016 g H_{20} & \gamma \frac{-1800 h }{3 m \partial \left( H_{20} \right)} = -833 k \\ \hline 16.016 g H_{20} & \gamma \frac{-1800 h }{3 m \partial \left( H_{20} \right)} = -833 k \\ \hline 16.016 g H_{20} & \gamma \frac{-1800 h }{3 m \partial \left( H_{20} \right)} = -833 k \\ \hline 16.016 g H_{20} & \gamma \frac{-1800 h }{3 m \partial \left( H_{20} \right)} = -833 k \\ \hline 16.016 g H_{20} & \gamma \frac{-1800 h }{3 m \partial \left( H_{20} \right)} = -833 k \\ \hline 16.016 g H_{20} & \gamma \frac{-1800 h }{3 m \partial \left( H_{20} \right)} = -833 k \\ \hline 16.016 g H_{20} & \gamma \frac{-1800 h }{3 m \partial \left( H_{20} \right)} = -833 k \\ \hline 16.016 g H_{20} & \gamma \frac{-1800 h }{3 m \partial \left( H_{20} \right)} = -833 k \\ \hline 16.016 g H_{20} & \gamma \frac{-1800 h }{3 m \partial \left( H_{20} \right)} = -180 k \\ \hline 16.016 g H_{20} & \gamma \frac{-1800 h }{3 m \partial \left( H_{20} \right)} = -180 k \\ \hline 16.016 g H_{20} & \gamma \frac{-1800 h }{3 m \partial \left( H_{20} \right)} = -180 k \\ \hline 16.016 g H_{20} & \gamma \frac{-1800 h }{3 m \partial \left( H_{20} \right)} = -180 k \\ \hline 16.016 g H_{20} & \gamma \frac{-1800 h }{3 m \partial \left( H_{20} \right)} = -180 k \\ \hline 16.016 g H_{20} & \gamma \frac{-180$$

A few more terms related to enthalpy:

- Enthalpy of vaporization / heat of vaporization: The enthalpy change on vaporizing one mole of a substance. (from liquid to vapor)

- Enthalpy of fusion / heat of fusion: The enthalpy change when a mole of liquid changes to the solid state.

Phase changes require energy, too!

Example problems:

FORMULA WEIGHTS in g/mol  $\begin{array}{ccc} 2,016 & 32.00 & 15.02 & \text{in purple} \\ 2H_2(g) + O_2(g) & \longrightarrow 2H_2O(g) ; \Delta H = -484 \text{ kJ} \end{array}$ 

Calculate the enthalpy change for the combustion of 1.00 kg of hydrogen gas.

- 1 Convert 1.00 kg hydrogen gas to moles. Use FORMULA WEIGHT.
- 2 Convert moles hydrogen gas to enthalpy change. Use THERMOCHEMICAL EQUATION.

(1) 2.016g Hz = mol Hz 
$$kg = 10^{3}g$$
  
(2)  $2mol Hz = -484 kJ$ 

$$1.00 \text{ kg H}_{2} \chi \frac{10^{3} \text{g}}{\text{kg}} \chi \frac{\text{mol H}_{2}}{2.016 \text{g} \text{H}_{2}} \chi \frac{-484 \text{ kJ}}{2 \text{mol H}_{2}} = -12000 \text{ kJ}$$

$$(1) \qquad (2)$$

What is the enthalpy change when 150. L of nitrogen monoxide are formed by this reaction at 25.0 C and 1.50 atm pressure?

1 - Convert 150. L NO to moles. Use IDEAL GAS EQUATION.

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2 - Convert moles NO to enthalpy change. Use THERMOCHEMICAL EQUATION

162 propane

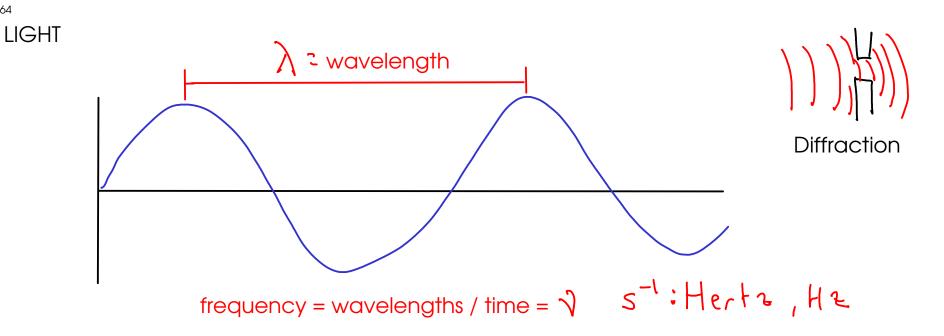
$$(_{3}^{*}H_{8}(g) + 50_{2}(g) \rightarrow 3(0_{2}(g) + 4H_{2}0(g); \Delta H = -2043 kJ$$

Calculate the volume of propane gas at 25.0 C and 1.08 atm required to provide 565 kJ of heat using the reaction above.

1 - Convert 565 kJ of heat to moles propane gas. Use THERMOCHEMICAL EQUATION. 2 - Convert moles propane gas to volume. Use IDEAL GAS EQUATION.

$$\underbrace{ \left( \begin{array}{c} 0 & \text{mol} \left( \begin{array}{c} 3Hg = -2043 \, k \right) \right) \\ -565 \, k \int \chi \frac{\text{mol} \left( \begin{array}{c} 3Hg \\ -2043 \, k \right) \right) \\ -2043 \, k \int \end{array} \\ = 0.2765540 \, 871 \, \text{mol} \left( \begin{array}{c} 3Hg \\ -2043 \, k \right) \\ \end{array} \\ \end{array}$$
This is NEGATIVE because this amount of energy is given up by the reaction!
$$\underbrace{ \left( \begin{array}{c} 0.2765540 \, 871 \, \text{mol} \left( \begin{array}{c} 3Hg \\ -2043 \, k \right) \\ \end{array} \right) \\ = 0.2765540 \, 871 \, \text{mol} \left( \begin{array}{c} 3Hg \\ -2043 \, k \right) \\ \end{array} \\ = 0.2765540 \, 871 \, \text{mol} \left( \begin{array}{c} 3Hg \\ -2043 \, k \right) \\ \end{array} \\ = 0.2765540 \, 871 \, \text{mol} \left( \begin{array}{c} 3Hg \\ -2043 \, k \right) \\ \end{array} \\ = 0.276 \, \text{sc} \left( \begin{array}{c} 0.2765540 \, 871 \, \text{mol} \left( \begin{array}{c} 3Hg \\ -298206 \, \frac{1}{1001 \, \text{sc}} \\ \end{array} \right) \\ = 0.276 \, \text{sc} \left( \begin{array}{c} 0.2765540 \, 871 \, \text{mol} \left( \begin{array}{c} 3Hg \\ -276 \, \text{sc} \\ \end{array} \right) \\ \end{array} \\ = 0.276 \, \text{sc} \left( \begin{array}{c} 0.298206 \, \frac{1}{1001 \, \text{sc}} \\ \end{array} \right) \\ = \begin{array}{c} 0.276 \, \text{sc} \\ \end{array} \\ = \begin{array}{c} 0.276 \, \text{sc} \\ \end{array} \\ = \begin{array}{c} 0.276 \, \text{sc} \\ \text{sc} \\ 1.08 \, \text{sc} \\ \end{array} \\ \end{array}$$

END OF CHAPTER 6



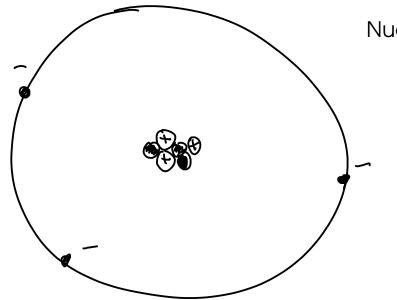
- Light has properties of WAVES such as DIFFRACTION (it bends around small obstructions).

- Einstein noted that viewing light as a particle that carried an energy proportional to the FREQUENCY could explain the PHOTOELECTRIC EFFECT!

$$E_{photon} = \frac{h}{L} \sqrt{\frac{1}{Planck's constant: 6.63 \times 10^{-34} \text{ J-s}}}$$
photon = particle or packet of light

(The photoelectric effect is the emission of electrons from a metal caused by exposure to light. Einstein discovered that if the light were not of the correct FREQUENCY, increasing the INTENSITY of the light would not cause electron emission. He concluded that individual photons must have enough energy to excite an electron - i.e. they must have the appropriate frequency.)

The photoelectric effect and Einstein's ideas about the energy content of light led us to discover a new model for the atom! How? Let's start with the nuclear model:



Nuclear model:

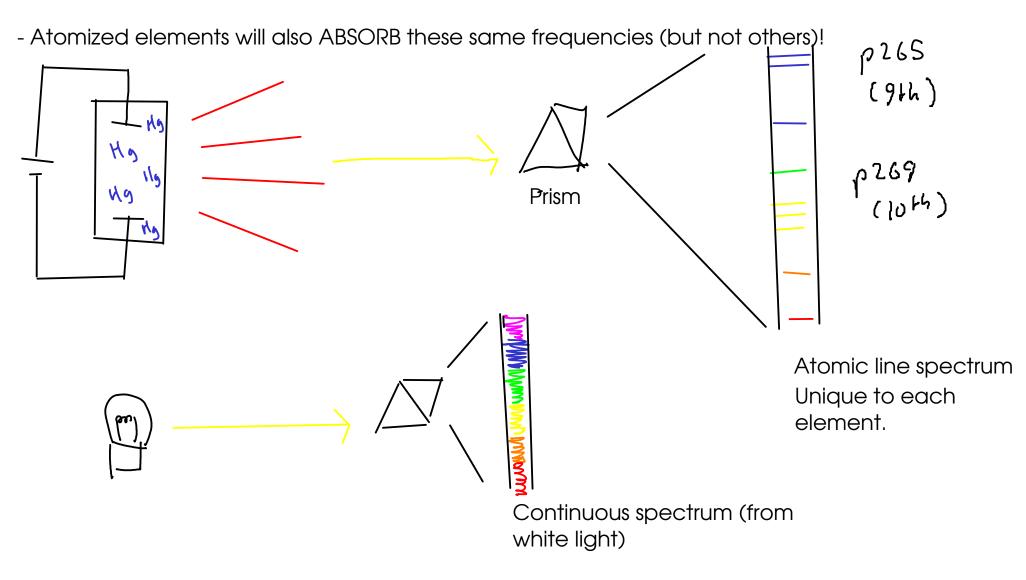
- Protons and neutrons in a dense NUCLEUS at center of atom

- Electrons in a diffuse (mostly empty) ELECTRON CLOUD surrounding NUCLEUS.

... so what's wrong with the nuclear model? Among other things, it doesn't explain ...

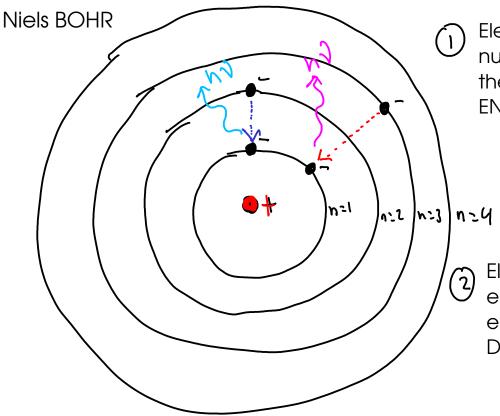
## ATOMIC LINE SPECTRA

- if you take element and ATOMIZE it, if excited by energy it will emit light at unique frequencies. The set of emitted frequencies is called an ATOMIC LINE SPECTRUM.



... so, why don't atoms by themselves emit continuous spectra like a flashlight would?

- The regular patterns of emission and absorption of light by atoms suggest that the electron cloud has some sort of regular structure. The specific frequencies of light emitted and abosrbed relate to specific values of ENERGY in the electron cloud.



Electrons can't be just ANYWHERE around a nucleus. They can exist only at certain distances from the nucleus. These distances correpsond to certain ENERGIES and are called ENERGY LEVELS!

Electrons CAN move (transition) between different energy levels by gaining or losing exactly enough energy to get into the new energy level. This was a DIRECT transition .

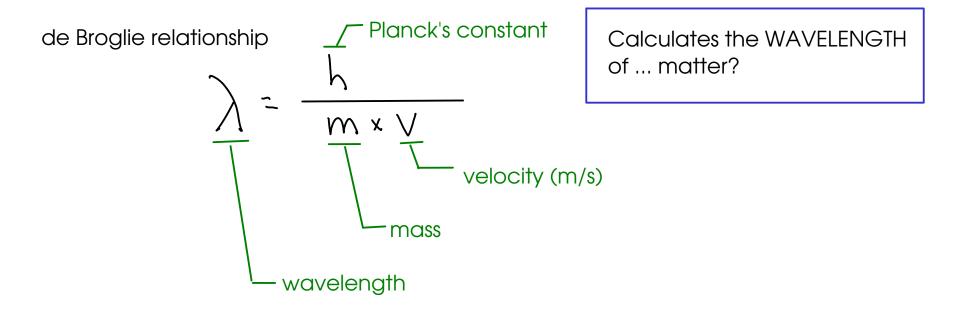
Bohr's model was the first proposal that predicted the existence of atomic line spectra, and it exactly predicted the spectra of hydrogen and "hydrogen-like" (i.e. one-electron) species.

The spectra were "off" for multi-electron atoms.

Multi-electron atoms have interactions between electrons, not just interactions between electrons and nucleus!

- The additional interactions in multi-electron atoms introduced added complexity to the model of the atom! Bohr's model was too simple.

- Improvements in Bohr's model came from treating electrons as WAVES.



... for very large particles, the wavelength is very small.