**REAL GASES** 

- The empirical gas laws (including the ideal gas equation) do not always apply.

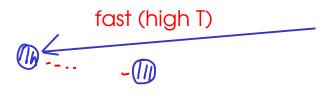
- The gas laws don't apply in situations where the assumptions made by kinetic theory are not valid.

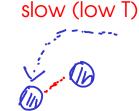
- When would it be FALSE that the space between gas molecules is much larger than the molecules themselves?

- at high pressure, molecules would be much closer together!

- When would it be FALSE that attractive and repulsive forces would be negligible?

- at high pressure, attractions and repulsions should be stronger!
- at low temperature, attractions and repulsions have a more significant affect on the paths of molecules





-The gas laws are highly inaccurate near the point where a gas changes to liquid!

- In general, the lower the pressure and the higher the temperature, the more IDEAL a gas behaves.

## van der Waals equation

- an attempt to modify PV = nRT to account for several facts.

- gas molecules actually have SIZE (they take up space)
- attractive and repulsive forces

$$PV = n R T \int \text{Ideal gas equation}$$

$$\left(P + \frac{n^{2} \alpha}{V^{2}}\right) \left(V - nb\right) = n R T \int \text{van der Waals}_{equation}$$

$$\left(P + \frac{n^{2} \alpha}{V^{2}}\right) \left(V - nb\right) = n R T \int \text{van der Waals}_{equation}$$

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$$\left(P + \frac{n^{2} \alpha}{V^{2}}\right) \left(P + \frac{n^{2} \alpha}{V^{2}}\right) = n R T \int$$

2500 L of chlorine gas at 25.0 C and 1.00 atm are used to make hydrochloric acid. How many kilograms of hydrochloric acid could be produced if all the chlorine reacts?

$$-1_2 + C|_2 \rightarrow 2HC|$$

- 1 Convert 2500L chlorine gas to moles. Use IDEAL GAS EQUATION.
- 2 Convert moles chlorine gas to moles HCI. Use CHEMICAL EQUATION.
- 3 Convert moles HCI to mass. Use FORMULA WEIGHT.

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$$2HCI + Na_2CO_3 \rightarrow CO_2 + H_2O + 2NaCI$$

If 48.90 mL of 0.250 M HCI solution reacts with sodium carbonate to produce 50.0 mL of carbon dioxide gas at 290.2 K, what is the pressure of the carbon dioxide gas?

1 - Convert 48.90 mL of HCI solution to moles. Use MOLARITY (0.250 M)

- 2 Convert moles HCI to moles carbon dioxide. Use CHEMICAL EQUATION.
- 3 Convert moles carbon dioxide to pressure. Use IDEAL GAS EQUATION

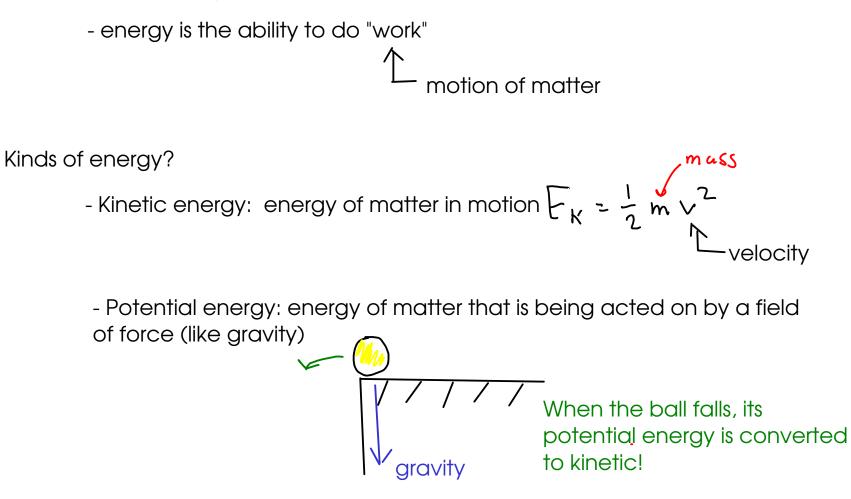
$$\begin{array}{c} \hline 0.250 \text{ mol} \text{Hcl} = L , \text{ mL} = 10^{-3} \ (2) 2 \text{ mol} \text{Hcl} = \text{mol} (02 \\ \hline 0.250 \text{ mol} \text{Hcl} = 10^{-3} \ (2) 2 \text{ mol} \text{Hcl} + \frac{10^{-3} \ (2) 250 \text{ mol} \text{Hcl}}{2 \text{ mol} \text{Hcl}} + \frac{10^{-3} \ (2) 250 \text{ mol} \text{Hcl}}{2 \text{ mol} \text{Hcl}} = 0.006 \text{H2S mol} (02 \\ \hline 3) \text{PV} = n \text{RT} \quad n = 0.006 \text{H2S mol} (02 \quad \text{R} = 0.08206 \frac{\text{L} \cdot \text{atm}}{\text{mol} \cdot \text{Hcl}} \\ P = \frac{n \text{RT}}{V} \quad \text{T} = 2.90.2 \text{ K} \quad \text{V} = 50.0 \text{ mL}; \text{ so.omL}; \frac{10^{-3} \ \text{ml}}{\text{mL}} = 0.0500L \\ P = \frac{(0.006 \text{H2S mol} (02) (0.08206 \frac{\text{L} \cdot \text{atm}}{\text{mol} \cdot \text{K}} (2.90.2 \text{ K}))}{\text{mL}} = \frac{1.91 \text{ atm}}{10.0500L} \end{aligned}$$



- thermodynamics: the study of energy transfer

Conservation of energy: Energy may change form, but the overall amount of energy remains constant. "first law of thermodynamics"

- ... but what IS energy?



- What sort of energy concerns chemists? Energy that is absorbed or released during chemical reactions.

- Energy can be stored in chemicals ... molecules and atoms.

INTERNAL ENERGY: "U" related to the kinetic and potential energy of atoms, molecules, and their component parts.

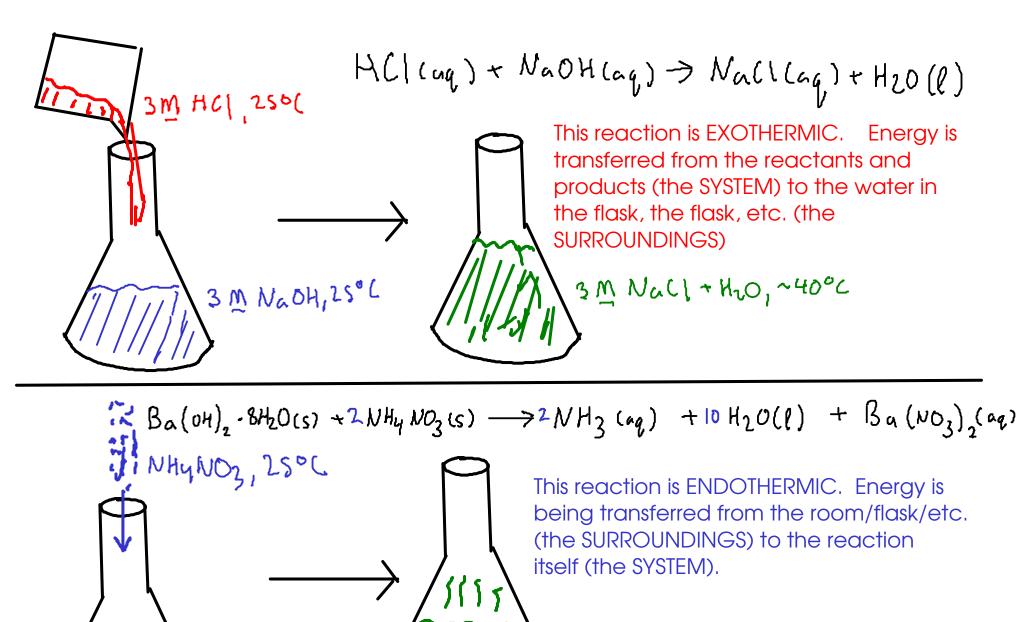
- We measure energy transfer ... which is called HEAT. (HEAT is the flow of energy from an area of higher temperature to an area of lower temperature)

Q:heat

SYSTEM: the object or material under study

SURROUNDINGS: everything else

Type of process	Energy is	Sign of Q	Temp of SURROUNDINGS
ENDOTHERMIC	transferred from SURROUNDINGS to SYSTEM	+	decreases
EXOTHERMIC	transferred from SYSTEM to SURROUNDINGS		increases



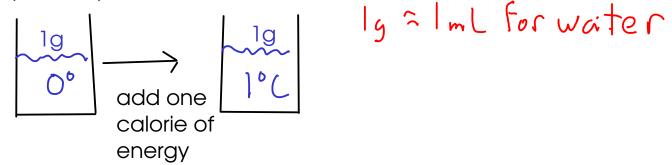
nim

Ba(04), 8420,25°C

NH3, H20, Bu(NO3)2(04), CO°C

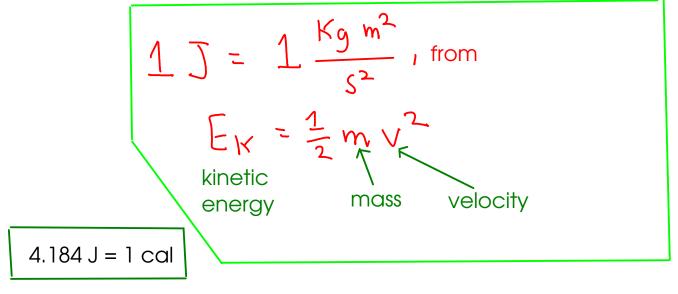
## ENERGY UNITS

- calorie (cal): the amount of energy required to change the temperature of one gram of water by one degree Celsius (or Kelvin)



- Calories in food? The "Calorie" that is given on American food labels is actually the kilocalorie (kcal)

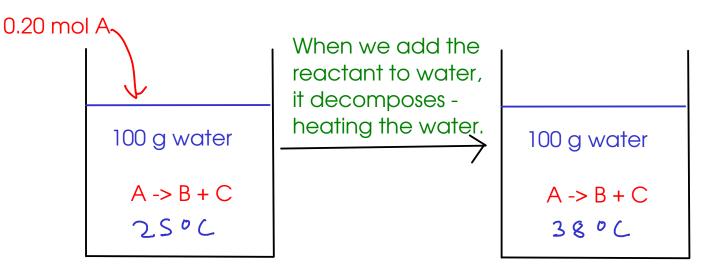
- Joule (J): SI unit for energy. It's defined based on the equation for kinetic energy.



- the Joule is a small unit. For most reactions at lab scale, we'll use kilojoules (kJ).

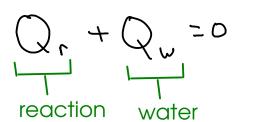
<sup>1</sup> CALORIMETRY

- the measurement of heat. How do we measure heat?



... what is Q for this reaction?

Assuming that no heat is lost from the water to the surrounding air,



Conservation of energy. The terms add to zero because they have opposite signs.

... if we knew something about the WATER, we could use that to find the heat of the REACTION!

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155 SPECIFIC HEAT

- a measured quantity. The amount of energy required to change the temperature of one gram of a particular substance by one degree Celsius.

- Specific heat information for common substances is readily available. For water,

$$4.184 \frac{5}{5^{\circ}C} \stackrel{c}{=} 1.000 \frac{c_{n1}}{g^{\circ}C}$$

$$Q = M_{1} \times 5 \times \Delta T$$

$$m = mass$$

$$s = specific heat$$

$$\Delta T = Tfinal - Tinitial$$

$$M = mass$$

$$M = mass$$

$$\Delta T = Tfinal - Tinitial$$

- For objects, like reaction vessels, you might know the HEAT CAPACITY, which is the amount of energy required to change the temperature of an object by one degree Celsius

Units: 
$$J/o_c$$
 or  $cal/o_c$   
 $Q = C \times \Delta T$   
 $c = heat capacity$ 

<sup>156</sup> 0.20 mol A  
When we add the  
reactant to water,  
it decomposes -  
heating the water.  
A -> B + C  
$$2 \le ° \le c$$
  
When we add the  
reactant to water,  
it decomposes -  
heating the water.  
A -> B + C  
 $3 \le ° \le c$   
Specific heat of water:  
100 g water  
A -> B + C  
 $3 \le ° \le c$ 

$$Q_r + Q_w = 0$$
  $Q_w = m_w \times S_w \times \Delta T_w$   
=(100g)(4.184  $\frac{3}{900}$ )(38°C - 25°C)  
= 5439.2 J  
 $Q_r + 5439.2 J = 0$ ;  $Q_r = -5439.2 J$ 

To report the energy change in this reaction to others, we should express it in terms of heat transfer per mole of something. A different amount of reactant would have a different Q  $\frac{1}{1}$ 

Qrxn = 
$$\frac{Qr}{moles A} = \frac{-5439.2J}{0.2000 A} = -27000 \frac{J}{mol A} = -27 \frac{kJ}{mol A}$$
  
This number is often called the "HEAT OF REACTION"

One problem ...

PATH. The amount of energy required for a process depends on how the process is carried out.

Example: Driving from Florence to Columbia. How much energy is required? (gas)

2000 Jeep Cherokee vs 2008 Toyota Prius. The Jeep will use much more fuel than the Prius even though they start and end from exactly the same place. So the fuel usage is what we call a <u>PATH FUNCTION</u>, while the location is a STATE FUNCTION.

- so the heat of reaction depends on how the reaction is done.

- we need (for reporting) some kind of standard condition. At constant pressure, we can define a state function called ENTHALPY (H)

H = U + PV $\triangle H = Q constant pressure$ 

 $\Lambda H_{r}$ 

... we record the "enthalpy change of reaction" in our data books.