Our classroom experiment: Results

Mass (g)	
7.1218	
7.1219	
7.1217	
7.1218	
7.1218	
7.1218	
7.1219	
7.1218	
7.1217	
7.1219	

Sum of <u>pts</u> =	71.2181 g
Number <u>pts</u> =	10
Average	7.12181 g

Overall average 0.00016 Certain digits: Little or no Uncertain digit: variation Expected to between vary by mesaurements +/-1 (or more) in repeated

measurements

When reading measurements from a scale, record all CERTAIN digits and one UNCERTAIN (or estimated) digit.

When reading a digital scale, include all digits reported by the device.

SIGNIFICANT FIGURES are a way to indicate the amount of uncertainty in a measurement.

The significant figures in a measurement are all of the CERTAIN DIGITS plus one and only one UNCERTAIN (or estimated) DIGIT

This is a <u>FIVE SIGNIFICANT FIGURE</u> measurement!

Determining significant figures

When you read a measurement that someone has written using the significant figures convention, you can tell how precisely that measurement was made.

$$29 \pm 0.001g$$
This was measured to the nearest +/-0.001g
The last digit is always UNCERTAIN (or estimated)

$$29 m \pm 1m$$

$$\frac{\text{Some other examples}}{3.2076g} (\pm 0.0001g)$$

$$37.26 \text{ kg} \pm 0.01\text{ kg} 27.3m (\pm 0.1m)$$

<u>A small problem</u>

The number ZERO has several uses. It may be a measured number, but it may also be a mere "placeholder" that wasn't measured at all!

So how do we tell a measured zero from a placeholder? There are a few ways:

1: BEGINNING ZEROS: Beginning zeros are NEVER considered significant.

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2: END ZEROS are sometimes considered significant. They are significant if

- there is a WRITTEN decimal point in the number
- there is another written indicator that the zero is

20.01 km

significant. Usually this is a line drawn over or under the last zero that is significant!

This zero IS considered significant. There's a written decimal.

± 100 m

These zeros ARE NOT considered significant (no written decimal, and no other indication that the zeros are significant)

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These zeros are not significant.

This zero IS significant. It's marked.

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How many significant figures are there in each of these measurements?

$$\frac{76.070 \text{ g} (\pm 0.061 \text{ g})}{5} = \frac{85000 \text{ mm} (\pm 2 \text{ mm})}{5} = \frac{0.001030 \text{ kg} (\pm 0.0600 \text{ g})}{7} = \frac{156.0002 \text{ g} (\pm 0.0601 \text{ g})}{2} = \frac{10.0600 \text{ g}}{2} = \frac{10.0600 \text{ g}}{2} = \frac{10.06000 \text{ mg} (\pm 1000000 \text{ mg} (\pm 1000000 \text{ mg})}{2}$$

$$\frac{1200000 \text{ km} (\pm 100 \text{ km})}{3} = \frac{1350 \text{ ms} (\pm 10 \text{ ms})}{3}$$

(Number of significant figures is indicated in RED below each measurement. Significant digits are UNDERLINED.)

(Approximate uncertainty in each of these measurements is indicated in GREEN after each one.)

Calculations with measurements

When you calculate something using measured numbers., you should try to make sure the ANSWER reflects the quality of the data used to make the calculation.

An ANSWER is only as good as the POOREST measurement that went into finding that answer!

14.206	I 0,001
154.72	10.01
1.6 + 0.222	10.1 20.001
170.748	

How should we report this answer? How much uncertainty is in this answer?



✓ If you add an uncertain number to either a certain or an uncertain number, then the result is uncertain!

 \star If you add certain numbers together, the result is certain!