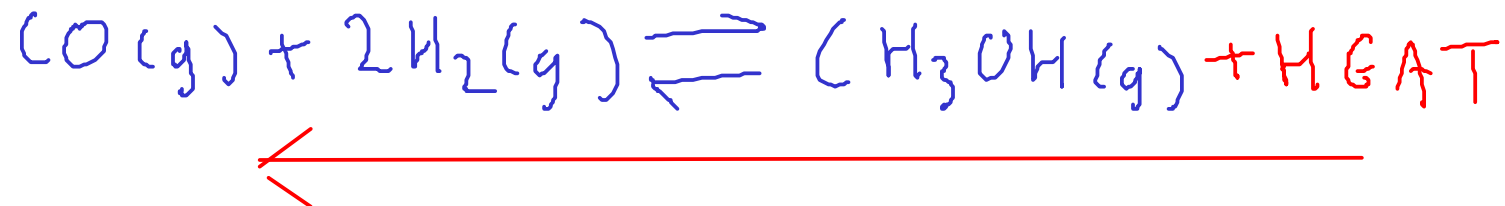


Would the fraction of methanol obtained at equilibrium be increased by raising temperature? Why or why not?

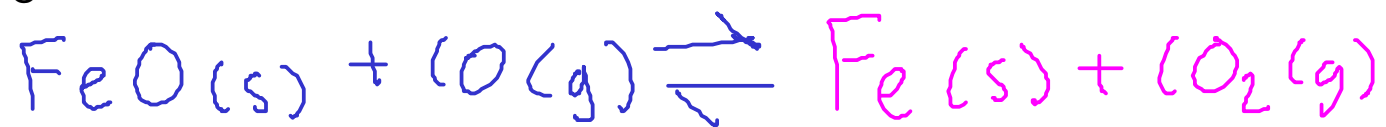
Exothermic reaction: We should view heat as a PRODUCT. So, increased temperature would cause equilibrium to shift away from the side with the heat



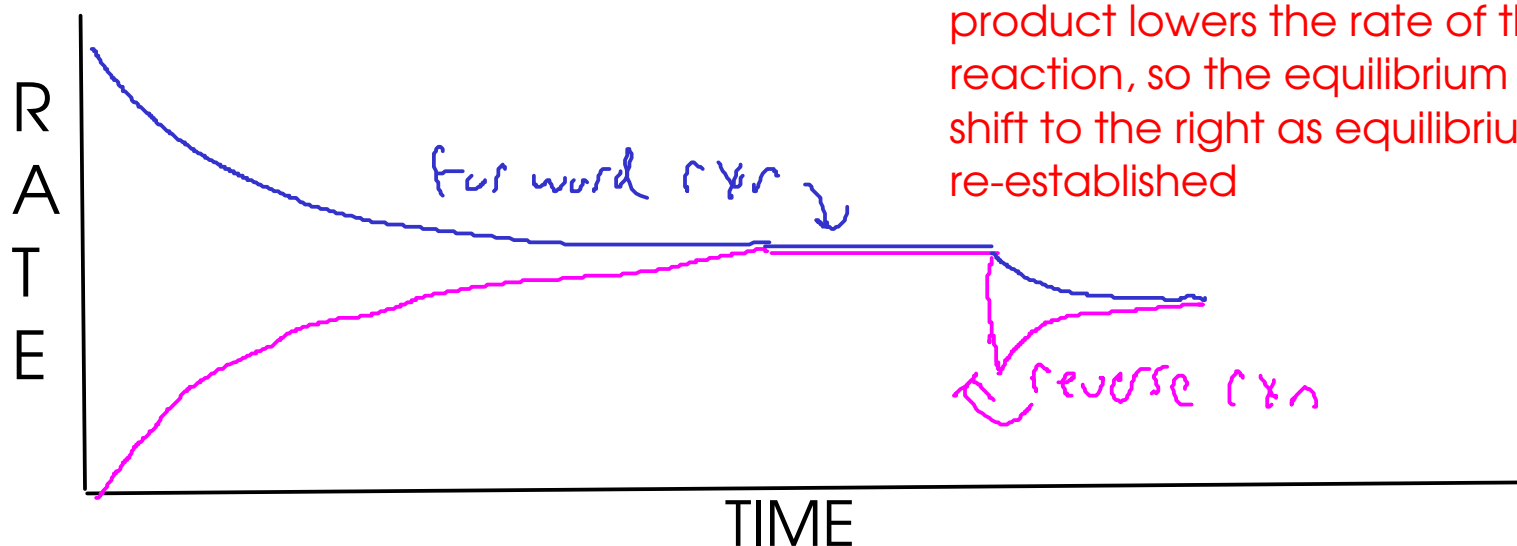
This REDUCES the fraction of methanol in the mixture, because the equilibrium shifts away from the methanol side.

Would increased PRESSURE increase the fraction of methanol at equilibrium?

Since there are three moles of gas on the reactant side, and only one mole on the product (methanol) side, an increase in pressure would cause the equilibrium to shift to the right (relieving the pressure) and making more methanol - INCREASING the fraction of methanol in the mixture.



When carbon dioxide is removed from the equilibrium mixture, what is the direction of reaction as the equilibrium is re-established? (The way this is done is to spray the mixture with water - since carbon dioxide dissolves in water much better than carbon monoxide does)



Lowering the concentration of a product lowers the rate of the reverse reaction, so the equilibrium will shift to the right as equilibrium is re-established



What are the equilibrium concentrations if a 5.0L reaction vessel initially contains 0.0015 moles of iodine and 0.0015 moles of bromine.

$$K_c = \frac{[\text{IBr}]^2}{[\text{I}_2][\text{Br}_2]} = 120$$

We need to solve this expression, but it's got too many variables. We must express these concentrations in terms of a single variable.

Species	[Initial]	Δ	[Equilibrium]
I_2	$\frac{0.0015 \text{ mol}}{5.0 \text{ L}} = 3 \times 10^{-4}$	$-x$	$3 \times 10^{-4} - x$
Br_2	$\frac{0.0015 \text{ mol}}{5.0 \text{ L}} = 3 \times 10^{-4}$	$-x$	$3 \times 10^{-4} - x$
IBr	0	$+2x$	$2x$

We've assigned 'x' to be the change in concentration of iodine

$$\frac{[\text{IBr}]^2}{[\text{I}_2][\text{Br}_2]} = 120 = \frac{(2x)^2}{(3 \times 10^{-4} - x)(3 \times 10^{-4} - x)}$$

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$$120 = \frac{(2x)^2}{(3 \times 10^{-4} - x)^2}$$

$$\sqrt{120} = \sqrt{\frac{(2x)^2}{(3 \times 10^{-4} - x)^2}}$$

$$\sqrt{120} = \frac{2x}{3 \times 10^{-4} - x}$$

$$3 \times 10^{-4} - x = \frac{2}{\sqrt{120}} x$$

$$3 \times 10^{-4} = \left(\frac{2}{\sqrt{120}} + 1 \right) x$$

$$\frac{3 \times 10^{-4}}{\left(\frac{2}{\sqrt{120}} + 1 \right)} = x$$

$$x = 2.5366 \times 10^{-4}$$

$$[I_2] = 3 \times 10^{-4} - x = 4.6 \times 10^{-5} \text{ M}$$

$$[Br_2] = 3 \times 10^{-4} - x = 4.6 \times 10^{-5} \text{ M}$$

$$[IBr] = 2x = 5.1 \times 10^{-4} \text{ M}$$