

Even if you're unfamiliar with the metric units involved in a problem, you can still do conversions easily.

88100 kHz to MHz       $\text{kHz} = 10^3 \text{Hz}$        $\text{MHz} = 10^6 \text{Hz}$        $\text{Hz} = \frac{1}{\text{s}}$  (frequency)

$$88100 \cancel{\text{kHz}} \times \frac{10^3 \cancel{\text{Hz}}}{\cancel{\text{kHz}}} \times \frac{\text{MHz}}{10^6 \cancel{\text{Hz}}} = \boxed{88.1 \text{ MHz}}$$

0.004184 kJ to J       $\text{kJ} = 10^3 \text{J}$        $\text{J} = \text{energy}$

$$0.004184 \cancel{\text{kJ}} \times \frac{10^3 \text{J}}{\cancel{\text{kJ}}} = \boxed{4.184 \text{ J}}$$

For nurses, one use of this method is for drug calculations.

Example: A patient is ordered 40 mg of codeine phosphate by subcutaneous injection. 50 mg in 1 mL liquid is available. How much of this liquid should be administered?

$$50 \text{ mg drug} = 1 \text{ mL}$$

This is a conversion factor. Use it like you would use any other conversion factor.

$$40 \text{ mg drug} \times \frac{1 \text{ mL}}{50 \text{ mg drug}} = 0.8 \text{ mL of liquid}$$

A client is ordered 75 mg of amoxicillin orally.  
125 milligrams in 5 mL of syrup is available.  
How many mL will you administer?

$$125 \text{ mg} = 5 \text{ mL}$$

$$75 \text{ mg} \times \frac{5 \text{ mL}}{125 \text{ mg}} = \boxed{3 \text{ mL}}$$

## Accuracy and Precision

- two related concepts that you must understand when working with measured numbers

### Accuracy

- how close a measured number is to the CORRECT (or "true") value of what you are measuring
- "Is it right?"
- checked by comparing measurements against a STANDARD (a substance or object with known properties)

### Precision

- how close a SET of measured numbers are to EACH OTHER
- "Can I reproduce this?"
- checked by repeated measurements

## More on precision

Every measurement contains some amount of ERROR, or some amount of deviation from the true value of what is being measured.

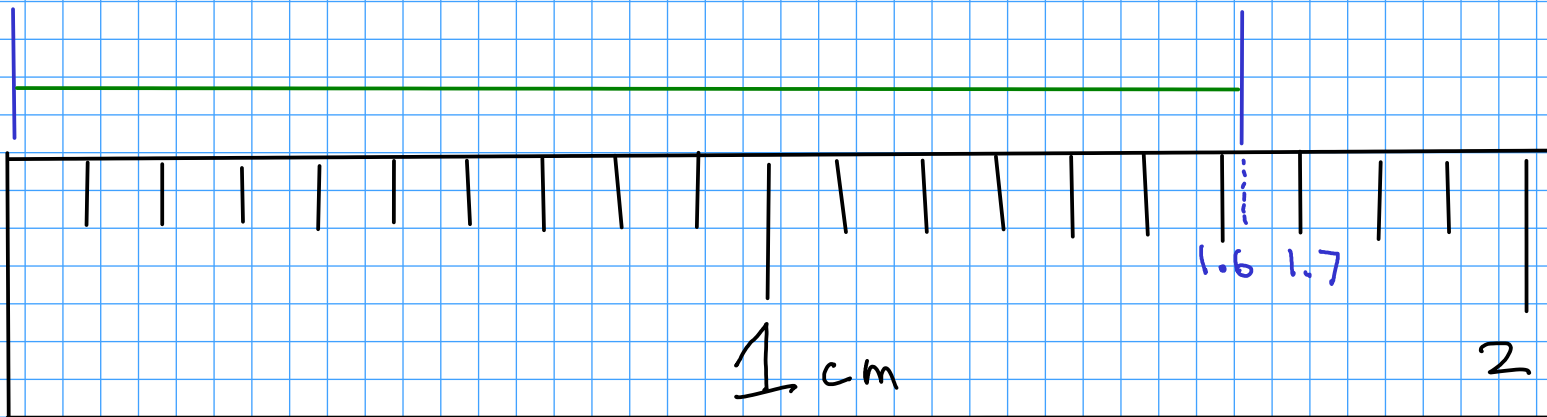
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RANDOM ERROR is the variability in a measurement that cannot be traced back to a single cause. Random errors cause measurements to fluctuate around the true value, but can be averaged out given enough measurements.

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When reporting measurements, we want to indicate how much random error we think is present. How?

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How long is the green line?

For this experiment, record your measurement in the form: X.XX cm

Write your answer on the sheet, then fold the sheet in half and pass it up to the front!

## Our classroom experiment: Results

After throwing away obvious mistakes in reading the scale, we had:

Value	# students
1.61	3
1.62	5
1.63	10
1.64	1

1.624736842

Overall average

1.62 ± .01 cm

Certain.

Little to no  
variation  
expected.

Same almost  
every time

Uncertain.

Expected to  
vary by about  
+/- 1

19 measurements

When reading measurements from a scale, record all CERTAIN digits and one UNCERTAIN (or estimated) digit.

## Significant figures

SIGNIFICANT FIGURES are a way to indicate the amount of uncertainty in a measurement.

The significant figures in a measurement are all of the CERTAIN DIGITS plus one and only one UNCERTAIN (or estimated) DIGIT

Example:

From our classroom experiment,

1.62 cm

We estimated the last digit, It's uncertain

These digits were obtained in all measurements. They are certain

THIS MEASUREMENT HAS "THREE SIGNIFICANT FIGURES"!

## Determining significant figures

When you read a measurement that someone has written using the significant figures convention, you can tell how precisely that measurement was made.

$$1.47\text{(3)} \text{ g } \pm 0.001$$

This was measured to the nearest +/- 0.001 g  
The last digit is always UNCERTAIN (or estimated)

$$2\text{(1)} \text{ m } \pm 1$$

$$37.2\text{(6)} \text{ kg } \pm 0.01$$

Some other examples

$$3.207\text{(6)} \text{ g } \sim \pm 0.0001 \text{ g}$$

uncertain!

$$27.3\text{(3)} \text{ m } \sim \pm 0.1 \text{ m}$$

uncertain!